In several presedential elections, researchers have observed a "gender gap" in which men and women vote for candidates in different proportions. Test this hypothesis by calculating X2 and Yule's Q for these frequencies from the 1998 General Social Survey:

Vote by Gender
Did you mvote for Clinton or Dole?
Gender

|  | Men | Women |
| :--- | :---: | :---: |
| Clinton | 351 | 572 |
| Dole | 283 | 306 |


| \# of columns <br> \# of raws <br> Significance level | 2 |  | Total |
| :---: | :---: | :---: | :---: |
|  | 2 |  |  |
|  | 0.05 |  |  |
| Observed result |  |  |  |
|  | Male | Female |  |
| Clinton | 351 | 572 | 923 |
| Dole | 283 | 306 | 589 |
| Category 3 |  |  | 0 |
| Total | 634 | 878 | 1512 |
| Expected value |  |  |  |
|  | Male | Female | Total |
| Clinton | 387.0 | 536.0 | 923 |
| Dole | 247.0 | 342.0 | 589 |
| Total | 634 | 878 | 1512 |

Observed result - Expected value

|  | Male | Female |
| :---: | ---: | ---: |
| Clinton | -36.0 | 36.0 |
| Dole | 36.0 | -36.0 |
| Category 3 | 0.0 | 0.0 |

(Observed result - Expected value) ${ }^{2}$
Male Female
Clinton $\quad 1297.81 \quad 1297.81$
Dole $1297.81 \quad 1297.81$
(Observed result - Expected value) ${ }^{2}$ / Expected value

|  | Male | Female | Total |
| :---: | ---: | ---: | ---: |
| Clinton | 3.35 | 2.42 | $\mathbf{5 . 8}$ |
| Dole | 5.25 | 3.79 | $\mathbf{9 . 0}$ |

## 14.8

Ho: Independence
$\mathrm{X}^{2}$
Ha: Dependence

$$
d f=1
$$

$$
X^{2}=14.8
$$

P -value $=0.00012<0.05$
Therfore, Ho can be rejected and there is relationship.

