

In 1992, the FAA conducted 86,991 pre-employment drug tests on job applicants who were to be engaged in safety and security-related jobs, and found that 1,143 were positive.

(a) Construct a

95 percent confidence interval for the population proportion of positive drug tests.

Ans.

95% confidence interval for population proportion of positive drug tests

$$p \pm 1.96 \sqrt{\frac{pq}{n}} = (0.012, 0.014)$$

Where $p = 1143/86991 = 0.01313929$ $q = 1-p$ $n = 86991$

Confidence interval - proportion

95% confidence level
0.01313929 proportion
86991 n
1.960 z
0.001 half-width
0.014 upper confidence limit
0.012 lower confidence limit

(b) Why is the normality assumption not a problem, despite the very small value of p ? (Data are from *Flying 120*, no. 11 [November 1993], p. 31.)

Ans.

The distribution of p is approximately normal when n is sufficiently large. Thus if np and nq are both > 5 assumption of normality is valid .

In the above problem $np = 1143$ and $nq = 85848$ are both greater than 5 . Hence normality assumption not a problem, despite the very small value of p .